



# UNIVERSITY OF CAMBRIDGE INTERNATIONAL EXAMINATIONS International General Certificate of Secondary Education

CANDIDATE NAME					
CENTRE NUMBER			CANDIDATI NUMBER		

#### **CAMBRIDGE INTERNATIONAL MATHEMATICS**

0607/01

Paper 1 (Core)

October/November 2013

45 minutes

Candidates answer on the Question Paper

Additional Materials:

Geometrical Instruments

## **READ THESE INSTRUCTIONS FIRST**

Write your Centre number, candidate number and name on all the work you hand in.

Write in dark blue or black pen.

Do not use staples, paper clips, highlighters, glue or correction fluid.

You may use a pencil for any diagrams or graphs.

DO **NOT** WRITE IN ANY BARCODES.

Answer all the questions.

## CALCULATORS MUST NOT BE USED IN THIS PAPER.

All answers should be given in their simplest form.

You must show all the relevant working to gain full marks and you will be given marks for correct methods even if your answer is incorrect.

The number of marks is given in brackets [ ] at the end of each question or part question.

The total number of marks for this paper is 40.

## Formula List

Area, A, of triangle, base b, height h.  $A = \frac{1}{2}bh$ 

Area, A, of circle, radius r.  $A = \pi r^2$ 

Circumference, C, of circle, radius r.  $C = 2\pi r$ 

Curved surface area, A, of cylinder of radius r, height h.  $A = 2\pi rh$ 

Curved surface area, A, of cone of radius r, sloping edge l.  $A = \pi r l$ 

Curved surface area, A, of sphere of radius r.  $A = 4\pi r^2$ 

Volume, V, of prism, cross-sectional area A, length l. V = Al

Volume, V, of pyramid, base area A, height h.  $V = \frac{1}{3}Ah$ 

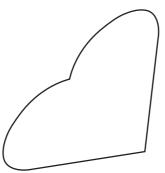
Volume, V, of cylinder of radius r, height h.  $V = \pi r^2 h$ 

Volume, V, of cone of radius r, height h.  $V = \frac{1}{3}\pi r^2 h$ 

Volume, V, of sphere of radius r.  $V = \frac{4}{3}\pi r^3$ 

1	Write 8572	
	(a) correct to the nearest 10,	
	Answer (a)	[1]
	<b>(b)</b> correct to the nearest 100.	
	Answer (b)	[1]
2	Put one of $+$ $ \times$ $\div$ in the box to make the following correct.	
	$3 \times (11                                 $	[1]
3	Write the following in order, starting with the smallest.	
	$2^5$ $5^2$ $3^3$	
	Answer <	[2]

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For Examiner's Use

On the shape draw the line of symmetry.

[1]

5 (a) Work out  $\frac{3}{4}$  of \$120.

*Answer (a)* \$ [1]

**(b)** A sum of money is divided between Stefan and Tomas in the ratio

Stefan: Tomas = 1:3.

(i) What **fraction** of the money does Stefan receive?

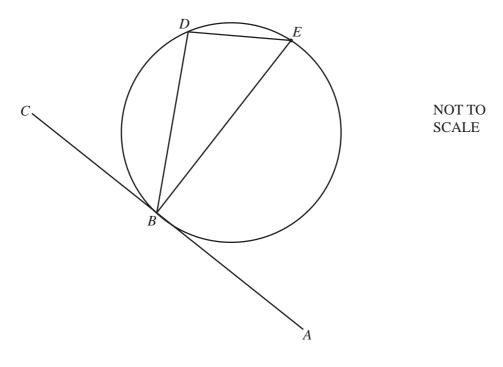
Answer (b)(i) [1]

(ii) What percentage of the money does Tomas receive?

Ó	(a)	Jean pla	ays go	olf. H	ere are	her best	10 score	es.					
		69	9 7	1	68	70	71	66	71	72	69	70	
		(i)	Wha	t is th	e range	of her s	cores?						
		(ii)	Find	Jean	's moda	ıl score.	An	eswer (a)	(i)				 [1]
							Ans	swer (a)(	(ii)				 [1]
	(b)	Anya re This fre	ecords equen	s the s cy tab	shoe siz ole show	e of 10 d ws her re	of her fr sults.	iends.					
					S	Shoe size	;	]	Frequenc	су			
						3			4		=		
						4			2				
						5			3				
						6			1				
		Find the	e mea	n sho	e size.								
								Answer	(b)				 [3]

7 In the diagram BE is the diameter of the circle and AC is a tangent to the circle at B.

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(a) Write down the size of angle *BDE*.

Answer (	(a	)	Г1	1	
Aliswel (	u	<i>)</i>	( I	- 1	

**(b)** Write down the size of angle *CBE*.

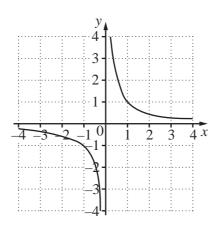
(c) Which word is the mathematical name for the line *DE*?

diameter	radius	sector
chord	circumference	centre

Answer (c) [1]

8 (a) The diagram shows the graph of  $y = \frac{1}{x}$ .

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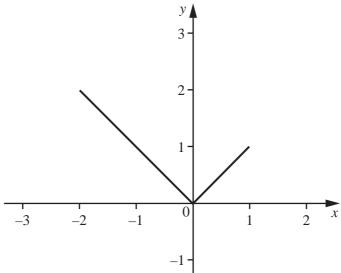


Write down the equations of the two asymptotes of the graph of  $y = \frac{1}{x}$ .

Answer (a)

[2]

**(b)** The diagram shows the graph of y = f(x).



(i) Write down the domain.

Answer (b)(i) [1]

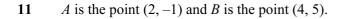
(ii) Write down the range.

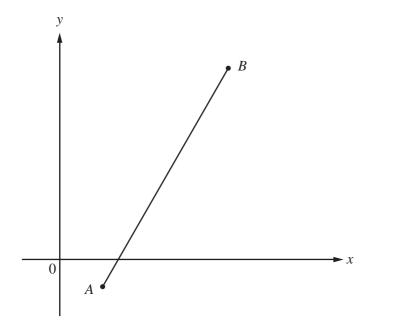
*Answer (b)*(ii) [1]

(iii) On the diagram, sketch the graph of y = f(x) + 1. [1]

9	Jimn	mi's pencil case only contains 3 pens and 12 pencils.			
	(a)	He chooses an object at random from his pencil case.			
		Find the probability that the object is a pencil.			
		Answer (a)	[1]		
	(b)	Jimmi chooses an object at random from his pencil case and then replaces it. He repeats this 100 times.			
		How many times do you expect Jimmi to choose a pen?			
		Answer (b)	[2]		

10	(a)	Solve the following equations.
		(i) $6 + 5w = 41$
		Answer (a)(i) $w = $ [2]  (ii) $7(3x-4) = 35$
		Answer (a)(ii) $x = $ [3]
	(b)	Write down <b>two</b> integers which satisfy the inequality $4a - 1 < 10$ .
		Answer (b)[2]





(a) Find the co-ordinates of the midpoint of AB.

Answer (a) ( \_\_\_\_\_\_ , \_\_\_\_\_ ) [1]

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**(b) (i)** Find the gradient of AB.

Answer (b)(i) [2]

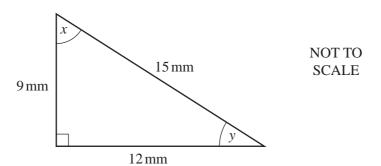
(ii) Find the equation of the line AB.

Answer (b)(ii) [2]

(c) Write down the equation of a line parallel to AB.

Answer (c) [1]

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Write down

(a)  $\tan x$ ,

*Answer (a)* [1]

**(b)**  $\cos y$ .

Answer (b) [1]

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